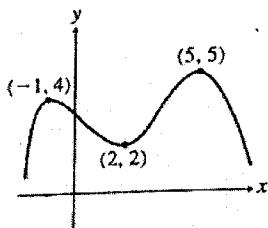


Part 1: State whether each labeled point identifies a local maximum, a local minimum, or neither. Identify intervals on which the function is decreasing or increasing.

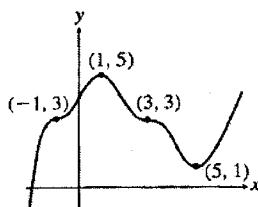
A.



local max: $(-1, 4)$
local min: $(2, 2)$

incr: $(-\infty, -1) \cup (2, 5)$
decr: $(-1, 2) \cup (5, \infty)$

B.



local max: $(1, 5)$
local min: $(5, 1)$
incr: $(-\infty, 1) \cup (5, \infty)$
decr: $(1, 5)$

Part 2: Determine algebraically whether each function is even, odd, or neither:

A. $f(x) = 2x^4$

even

B. $g(x) = \frac{3}{1+x^2}$

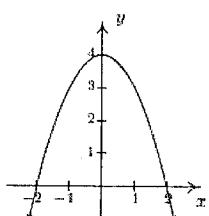
even

C. $g(x) = 2x^3 - 3x$

odd

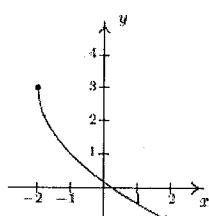
Part 3: Determine the boundedness of each function:

A.



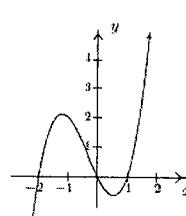
bounded above

B.



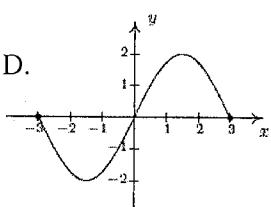
bounded above

C.



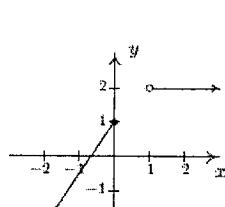
unbounded

D.



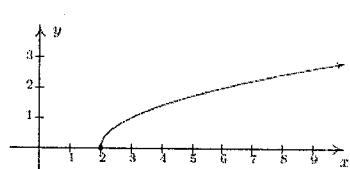
bounded

E.



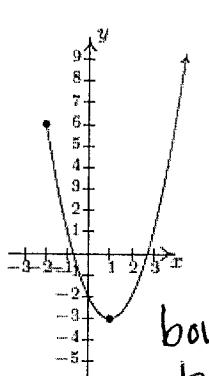
bounded above

F.

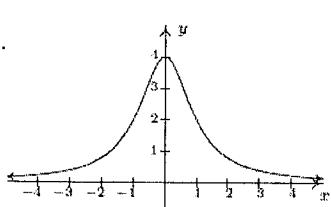


bounded below

G.

bounded
below

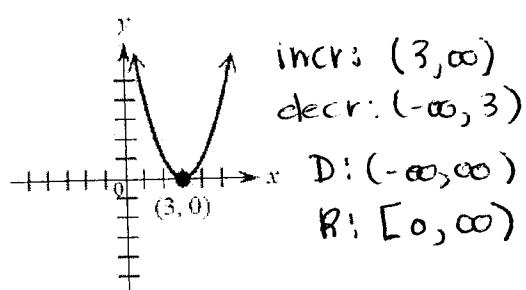
H.



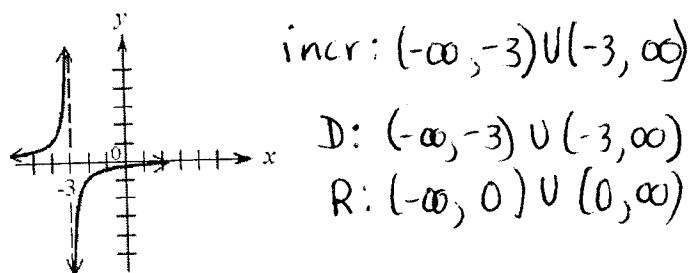
bounded

Part 4: Determine the intervals of the domain over which each function is increasing, decreasing, or constant. Then state the domain and range.

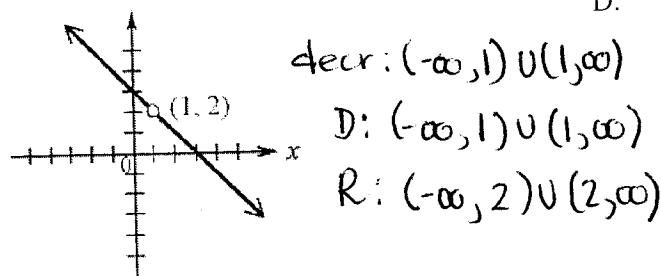
A.



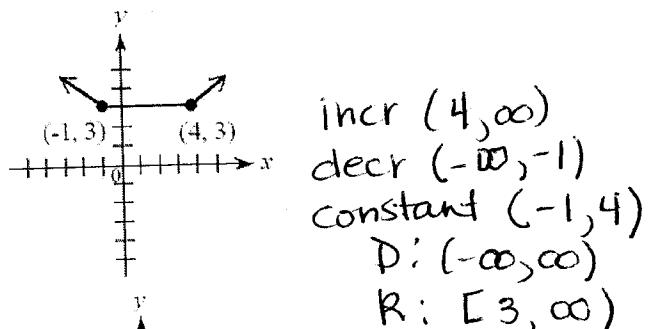
B.



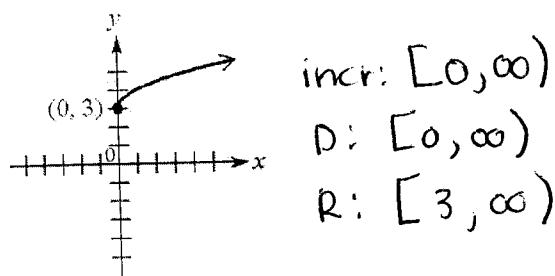
C.



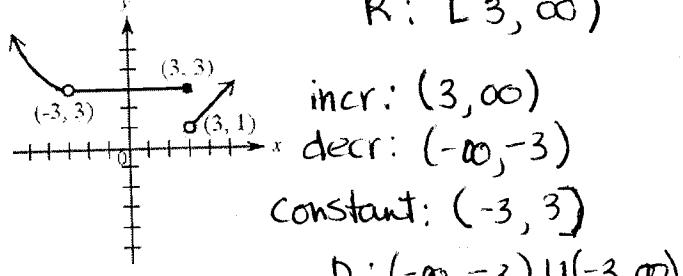
D.



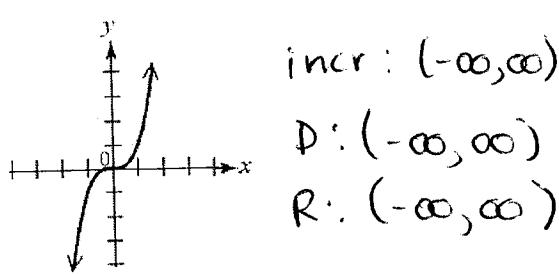
E.



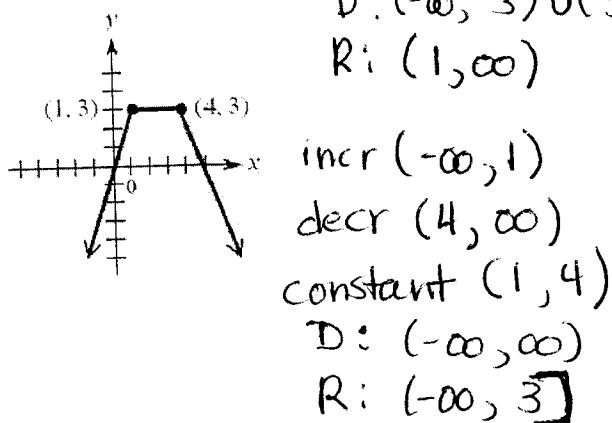
F.



G.

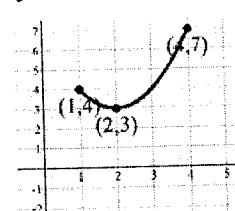


H.

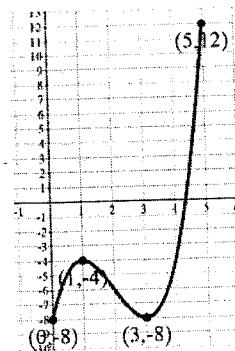


Part 5: Identify the relative and absolute extrema.

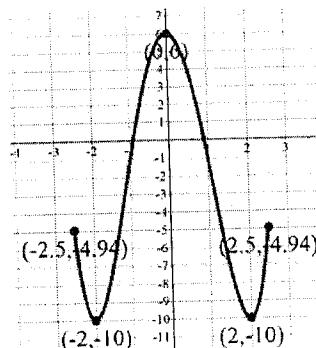
A.



B.



C.



abs. min -8
 abs. max 12
 10